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SOFTWARE REQUIREMENTS ELABORATION WITH DECISION TABLES

Summary. The paper describes decision table notation as a requirements definition technique. Modern critical systems, e.g., railway signaling systems, are implemented with electronic technologies. The use of computers in these systems has greatly expanded their functionality. Increase in functionality unfortunately leads to increase in complexity, which forces the designer to follow a more rigorous development process. The paper discusses the subject of describing expected software behavior, i.e., software requirements specification. It presents desired requirements features and describes how these features can be obtained by use of decision tables. The paper also discusses decision table transformations, which can reduce the effort to establish decision tables and facilitate their analysis. The authors' experiments support the use of decision tables as a mean to increase requirements quality by providing tools for automatic decision table processing.

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1. INTRODUCTION

Modern safety critical systems, such as railway signaling systems, are implemented with computer technology. Use of computers allows for greater functionality. Unfortunately, greater functionality is occupied with greater complexity, which forces the designer to follow a more rigorous development process in order to achieve target software reliability. More systematic development process in safety critical systems often follow recommendations of IEC 61508 standard or similar, domain-specific ISO 26262, DO-178C or EN 50716 [1]. These standards point out the requirements setting phase as one of the initial development steps. In authors' opinion this phase is critical for development because defects introduced in this phase can be potentially carried through the rest of the development process and remain uncovered until overall requirement testing or even validation.

Requirements in essence describe expected properties of developed software. The properties may be of various natures, but the most basic part is the functional requirements, which describe how software shall behave – what it shall do, how it shall react to external stimuli. This underlines the importance of requirements in the entire development process. Software development is always aimed at obtaining software, which implements certain behaviors. If the behavior description is too terse or vague, then the end result may not satisfy user expectations, even if the rest of the process is executed flawlessly.

Requirements management is a mature software engineering discipline documented in literature, for example in [7]. Works concerned with requirements management discuss properties of requirements themselves. There are many such qualities, but the most basic are:

- **Completeness** – requirements need to be complete, i.e., describe all expected properties of the software.
- **Correctness** – requirements need to describe features as they should be implemented. In particular, requirements should not be contradictory.
- **Realizability** – requirements need to be possible to implement. Singular requirements are rarely not realizable, but a set of requirements possibly can be not realizable, for example if the requirements are contradictory.
- **Unequivocalness** – requirements need to be interpretable only in one way; otherwise, there is a risk of introducing defect due to requirement misinterpretation.
- **Verifiability** – requirements need to be specified in a way, which allows for deciding whether a particular program implements the requirement or not.
- **Traceability** – in most safety-critical software development processes, it is recommended to demonstrate how requirements have been implemented and how they have been verified to be implemented correctly. In order to achieve this, requirements need to be specified in a way which allows tracing them to artifacts which implement them or support verification of correct implementation.

Requirements quality can be improved by making them more structured. One notation designed for such use is notation of decision tables ([3, 4]).

This paper discusses use of decision tables for requirements specification and decision tables transformations, which facilitate their design and analysis. In particular, the paper discusses possible decision table interpretations and transformation between equivalent decision tables written for different interpretations. Prior research discussed properties of

decision tables and methods for automatic derivation of computer programs from decision tables ([6]). This work recognizes that decision tables can be interesting objects in their own right and that there are useful algorithms, which transform decision tables into other decision tables.

2. METHODS

2.1. Decision tables

The decision table is an easy-to-use notation for describing rule systems ([2]). The notation is not standardized, it should be rather treated as a notation family. Notations in this family have certain common features:

1. They are described in tabular form,
2. They describe rules of decision-making based on given criteria,
3. For brevity, they allow specifying that a particular criterion is not considered in a particular rule.

An example decision table is presented in Tab. 1.

Tab. 1

Decision table structure (source: original work)

| Criterion 1 | Criterion 2 | Criterion 3 | Decision 1 | Decision 2 |
|---------------------|---------------------|---------------------|------------------------|------------------------|
| Value ₁₁ | Value ₁₂ | Value ₁₃ | Decision ₁₁ | Decision ₁₂ |
| Value ₂₁ | * | * | Decision ₂₁ | Decision ₂₂ |
| * | * | Value ₃₃ | Decision ₃₁ | Decision ₃₂ |

The rest of the paper will discuss decision tables in the form given in Tab. 1:

1. The table consists of two parts – a criterial part (rule premises) and a decisional part (decision made based on rule premises); decision table parts are separated by double line.
2. Criteria and decisions are specified as columns (in the decision table in Table 1, there are three criteria and two decision components).
3. Rules are written in the table rows; each row specifies rule criteria and decision.
4. The symbol ‘*’ may be used instead of a criterion, denoting that criterion does not affect the decision in the considered rule.

Decision table shall be interpreted as follows (interpretation I): table associates criterial vectors (values of criterial columns) with decision vectors (values of decision columns). Criterial vector is associated with decision vector of the rule, which criterial columns match corresponding elements of criterial vector or which contain symbol ‘*’.

It should be noted, that in this interpretation a single criteria vector can be associated with 0, 1 or more decisions by the decision table. In practical applications one can also find another interpretation (interpretation II), in which the criteria vector is associated with the decision vector specified by the first rule (from the top) of the decision table, which satisfies the condition above. In such interpretation, criteria vector can be associated only with 0 or 1 decision vectors, which reduces the effort to design an unequivocal decision table.

According to the above description, the decision table in Table 1 associates criteria vector (Value11, Value12, Value13) to decision vector (Decision11, Decision12). Vector (Value21, arbitrary value, Value23) is associated with:

- Decision vectors (Decision₂₁, Decision₂₂) and (Decision₃₁, Decision₃₂) in interpretation I,
- Decision vector (Decision₂₁, Decision₂₂) in interpretation II.

It should be noted that the literature discusses decision table interpretation in greater detail, for example in [5]. In the authors' opinion, interpretation rules given in [5] are needlessly complex. The Interpretation rules presented in this section are clearer and yet precise enough to allow for automated decision table manipulation.

Decision table can be analyzed depending on multiple criteria. A decision table is complete, if it associates every possible criteria vector to some decision vector, i.e., it specifies a decision for each criteria combination. This definition agrees with intuition – decision table is complete if it allows one to decide in any possible situation (for each criteria combination).

A decision table is consistent, if it associates every possible criteria vector with at most one decision vector. Intuitively, if a consistent decision table determines a decision, then it only determines a single decision for a particular situation. An inconsistent decision table associates at least one criteria vector with two contradictory decision vectors.

2.2. Decision table examples

A decision table allows for the description of various decision-making processes. This paragraph presents an example of a decision table application for the specification of business rules and for the specification of finite automata.

Consider an application to business rules specification. Some Polish cities run programs aimed at increasing interest in public sport facilities. The city council of City A agreed to reduced ticket prices for public recreation facilities according to following rules:

1. For A residents, ticket prices are reduced by 50%,
2. For large family card holder, ticket prices are reduced by 30%,
3. For pensioners, ticket prices are reduced by 50%,
4. Ticket price reductions for A residents and pensioners are independent,
5. Ticket price reductions for A residents and large family card holders are independent,
6. Ticket price reductions do not compound except above situations.

The above rules are specified as a decision table in Tab. 2. It should be pointed out that the above description contains imprecise statements (e.g., “reductions are independent”, “reductions don't compound”). Specification of business rules in the form of decision table facilitates their understanding.

Tab. 2

Example decision table – ticket price reductions (source: original work)

| A resident | Large family card holder | Pensioner | Ticket price reduction |
|-------------------|---------------------------------|------------------|-------------------------------|
| Yes | No | No | 50% |
| No | Yes | No | 30% |

| | | | |
|-----|-----|-----|-----|
| No | No | Yes | 50% |
| Yes | No | Yes | 75% |
| Yes | Yes | No | 65% |
| No | No | No | 0% |
| Yes | Yes | Yes | 75% |
| No | Yes | Yes | 50% |

The decision table in Tab. 2 contains 8 rows – it explicitly associates each criteria vector with a decision. Based on a simple analysis, the decision table can be reduced to the form given in Tab. 3.

Tab. 3

Example decision table – ticket price reductions
(after simplification, source: original work)

| A resident | Large family card holder | Pensioner | Ticket price reduction |
|-------------------|---------------------------------|------------------|-------------------------------|
| Yes | No | No | 50% |
| No | Yes | No | 30% |
| No | * | Yes | 50% |
| Yes | * | Yes | 75% |
| Yes | Yes | No | 65% |
| No | No | No | 0% |

A second example presents the application of decision tables to the description of a stateful system. This example considers signaling at a pedestrian crossing, i.e., system controlling the road signal (RD) and pedestrian signal (PD) at the pedestrian crossing. The system behavior can be summarized as follows:

1. In the basic state, RD displays a green light, and PD displays a red light.
2. Signal lights changes are initiated by pressing a pushbutton.
3. In order to assure traffic flow, the pushbutton press is memorized, but it does not cause an immediate signal light change for certain time after signal change on RD to a green light.
4. As a result of the pushbutton press, RD and PD light change sequence is initiated:
 - a. Yellow light on RD and red on PD
 - b. Red light on RD and green on PD
 - c. Red light on RD and flashing green on PD,
 - d. Red light and yellow light on RD and red on PD,
 - e. Green light on RD and red on PD (basic state).

The behavior of such a system is often described using finite automata, in this case with the R (cycle request) automaton and the S (signaling sequence) automaton, presented in Fig. 1 and Fig. 2.

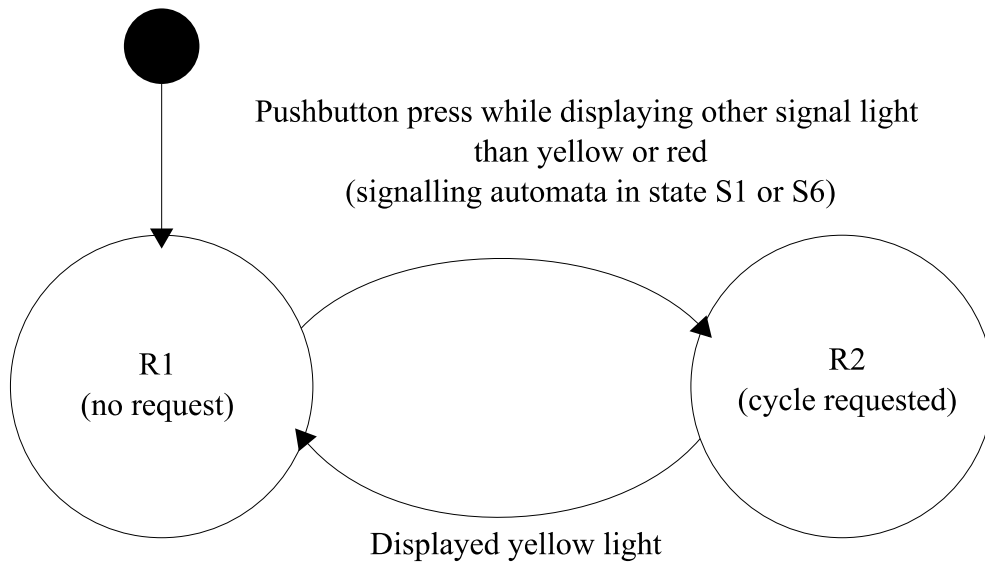


Fig. 1. R (Cycle request) automaton (source: original work)

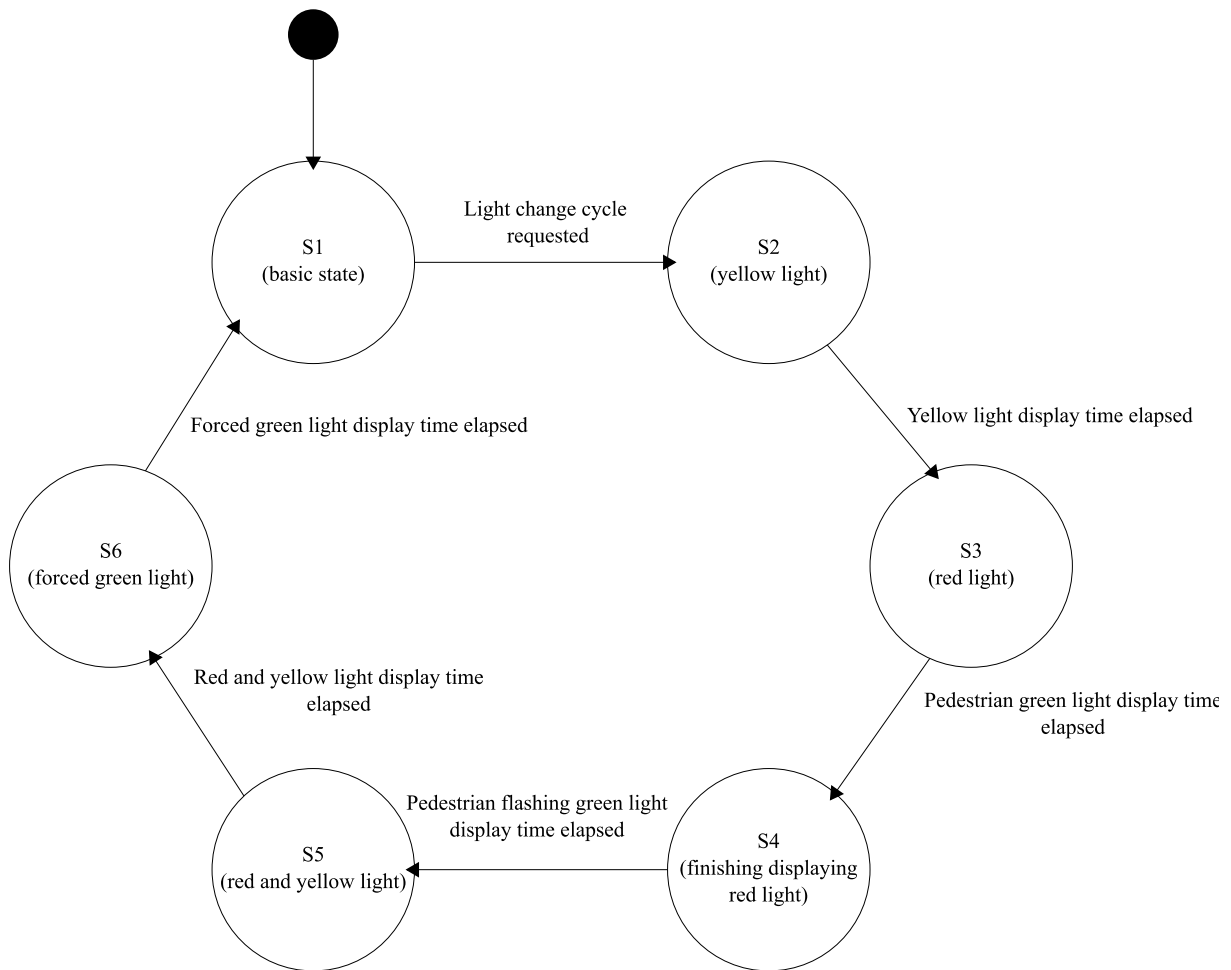


Fig. 2. S (Signaling sequence) automaton (source: original work)

System behavior can be described with the decision tables provided in Tab. 4 and Tab. 5.

Tab. 4

Example decision table – R automaton (source: original work)

| R automaton state | S automaton state | Pressed pushbutton | New R automaton state |
|-------------------|-------------------|--------------------|-----------------------|
| R1 | S1 | Yes | R2 |
| R1 | S6 | Yes | R2 |
| R1 | * | * | R1 |
| R2 | S2 | * | R1 |
| R2 | * | * | R2 |

Tab. 5

Example decision table – S automaton (source: original work)

| S automaton state | R automaton state | Current light display time elapsed | New S automaton state | Start counting light display time | RD signal light | PD signal light |
|-------------------|-------------------|------------------------------------|-----------------------|-----------------------------------|-----------------|-----------------|
| S1 | R2 | * | S2 | Yes | Yellow | Red |
| S1 | * | * | S1 | No | Green | Red |
| S2 | * | Yes | S3 | Yes | Red | Green |
| S2 | * | No | S2 | No | Yellow | Red |
| S3 | * | Yes | S4 | Yes | Red | Flashing green |
| S3 | * | No | S3 | No | Red | Green |
| S4 | * | Yes | S5 | Yes | Red and yellow | Red |
| S4 | * | No | S4 | No | Red | Flashing green |
| S5 | * | Yes | S6 | Yes | Green | Red |
| S5 | * | No | S5 | No | Red and yellow | Red |
| S6 | * | Yes | S1 | No | Green | Red |
| S6 | * | No | S6 | No | Green | Red |

Decision tables have certain advantages for describing finite automata:

1. They describe state change criteria unequivocally, reducing the risk of misinterpretation. There can be situations in which an automaton may perform one of many possible state transitions. A graphical automaton model may not be precise enough to indicate which transition shall be performed in such a case.
2. They are traceable – while a figure is useful to provide an overview of expected behavior, it usually does not allow for systematic enumeration of transitions. In decision tables notation this is trivial, for example, by enumerating decision table rows.
3. They allow for the clear presentation of additional information (for example, the lights displayed by RD and PD signals in the case of the S automaton description).

2.3. Decision table processing

The syntax and semantics of decision tables are precise enough to allow the construction of algorithms for their analysis and transformation. This section presents a description of selected algorithms.

2.3.1. Decision table processing

Decision tables used for requirements specification need to be complete and consistent (if interpretation I is used). Analysis of these properties can be carried out automatically by an algorithm.

Decision table completeness can be analyzed as follows:

1. Generate all possible criteria vectors,
2. Check, if the decision table associates each criteria vector with at least one decision.
3. If there is at least one criteria vector not associated with any decision by the decision table, then the decision table is not complete.

Decision table consistency can be analyzed as follows:

1. For each decision table rule A:
 - a. Consider each decision table rule B following rule A:
 - i. Select criterial column,
 - ii. Check if either both rules have the same value in the selected criteria column or one is '*'. If yes, then go to step iii, otherwise select the next rule (B),
 - iii. If not all criteria columns have been checked, then select next criteria column and go to step ii,
 - iv. Check, if decision vectors of A and B rules are equal – if not, then the decision table is not consistent (rules A and B can be applied to one criteria column and have contradictory decisions) – end of algorithm,
2. If all decision table rules A have been considered and no inconsistency has been detected, then the decision table is consistent.

Using the above algorithms, it can be checked, that S and R automaton decision tables presented in section 2.2 are complete, but are not consistent (in interpretation I):

- In case of R automaton decision table, contradictory are rules in the first and third row – they associate criteria vector (R1, S1, Yes) with decisions R2 and R1,
- In case of S automaton decision table, contradictory rules are in the first and second row – they associate criteria vector (S1, R2, No) with decisions (S2, Yes, Yellow, Red) and (S1, No, Green, Red).

2.3.2. Decision table expansion

This section presents the first transformation defined by the authors. It is the most basic transformation, which intuitively generates an equivalent decision table (i.e., associating criteria vectors with the same decisions), that explicitly associates each criteria vector with its corresponding decision vector. Decision table expansion proceeds as follows:

1. Start with an empty rule list,
2. For each possible criteria vector:

- a. Check if the considered decision table associates the criteria vector with any decision. If no, consider the next criteria vector,
 - b. Add a rule associating the considered criteria vector with the corresponding decision vector to the rule list,
3. Construct a decision table containing all rules from the rule list.

The algorithm is very simple, but the created decision tables have certain useful features – the resulting decision tables do not contain symbol ‘*’ and are always consistent. This makes them useful for further processing. Algorithms processing them do not need to consider the order of rules in the decision table.

2.3.3. Redundant rule elimination

This section presents the second transformation defined by the authors. Decision tables obtained from decision table expansion can be useful for further software processing, but they may be too large for manual use. As can be easily seen, if a decision table has n criteria columns and i th column can have M_i values, then the number of rules R is:

$$R = \prod_i M_i \quad (1)$$

To facilitate decision table handling, it is useful to reduce the number of decision table rules without changing their meaning, which can be done by recreating the ‘*’ symbol in decision table rules in a controlled fashion. The algorithm is as follows:

1. Select the first decision table rule.
2. Select the first criteria column.
3. Generate a temporary criteria pattern, which consists of the considered rule criteria part with the selected criteria column value replaced with ‘*’.
4. Check if each criteria vector matching the generated temporary criteria pattern is associated with the same decision as the decision part of the considered rule. If yes, go to step 5, otherwise go to step 8.
5. (Check in step 4 successful) Replace the criteria part of the considered rule with the temporary criteria pattern.
6. Remove from the decision table any rule subsumed (criteria part being a specialization of the criteria part of the considered rule) by the considered rule.
7. Go to step 1.
8. (Check in step 4 unsuccessful) If the selected criteria column is not the last, then select the next and go to step 3.
9. If the selected rule is not the last, then select the next rule and go to step 2.
10. End of the algorithm – the decision table does not contain any redundant rule.

3. RESULTS AND DISCUSSION

As noted in section 2.3.1, decision table properties can be analyzed automatically. The authors’ designed a prototype implementation of these algorithms and the decision table transformations specified in sections 2.3.2 and 2.3.3. The latter algorithms, proposed by the authors, allow for the automatic generation of decision tables in interpretation I that are equivalent to the given decision tables designed for interpretation II. The prototype

implementation has been developed in Scheme. The implementation of all four algorithms requires 272 lines of source code, which stems from the simplicity of the algorithms. Nevertheless, these algorithms are useful for designing and analyzing requirements in the form of decision tables. In authors' opinion, decision tables together with proposed algorithms facilitate the elaboration of requirements with the features mentioned in section 1:

1. Completeness – the decision table completeness analysis algorithm allows for automatic checking if decision-making rules specified in the decision table cover all possible scenarios,
2. Correctness – the decision table correctness analysis algorithm allows for automatic checking that input decision table in interpretation I is consistent; the decision table expansion and redundant rule elimination algorithms allow for the automatic generation of consistent decision tables in interpretation I based on input decision tables in interpretation II,
3. Realizability – decision table semantics assures realizability, which is additionally facilitated by the presented algorithms for the translation of decision tables in interpretation II into consistent decision tables in interpretation I,
4. Unequivocalness – decision table semantics provide precise interpretation rules,
5. Verifiability – consistent decision tables in interpretation I allow for direct specification of test cases based on the decision table structure; automatic algorithms for the translation of decision tables in interpretation II into consistent decision tables in interpretation I allow for simple test case specification for decision tables in interpretation II as well,
6. Traceability – decision tables are evidently traceable, for example, by tracing individual decision table rows.

4. CONCLUSIONS AND SUMMARY

The paper discusses the use of decision tables for requirements specification and their advantages. It also points out the possibility of automatic decision table processing and presents a novel algorithm for translating decision tables designed for interpretation II into consistent decision tables in interpretation I. The algorithms proposed by the authors facilitate requirement design and analysis. The authors have developed a prototype implementation of these algorithms, which validates the proposed methods.

In the authors' opinion, automatic decision table processing can be further researched to reduce the effort needed for producing other artifacts in the development process based on decision tables. The previous section sketched the relationship between decision tables and test cases, which warrants additional investigation. The authors suspect that similar methods to those presented should also allow for the use of decision tables with formal methods, for example, by automatic translation of decision table rules into logic propositions usable in formal specifications.

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